

FIG. 1

FIG. 2 is a flowchart illustrating a method for code hoisting. The process begins with a START block, followed by an input block for the first high level input source code (200). This is followed by a dashed box labeled ALGEBRAIC TRANSFORMATION, which contains two steps: PERFORM FACTORIZATION EXPLORATION (204) and PERFORM COMMON SUBEXPRESSION ELIMINATION (208). After these steps, the process moves to HOIST CODE (212), then DETERMINE EXTENT OF OPTIMIZATION (216). A decision diamond (220) asks if the improvement is sufficient. If No, the process goes to CHANGE SCOPE FOR CODE HOISTING (224), which loops back to the input block (200). If Yes, the process continues to PERFORM INDUCTION ANALYSIS (228), then COMPILE SECOND HIGH LEVEL SOURCE CODE (232), then EXECUTE COMPILED CODE (236), and finally ends at the END block. A bracket on the right side of the flowchart groups the steps from 200 to 216 under the label PROCESSOR INDEPENDENT.

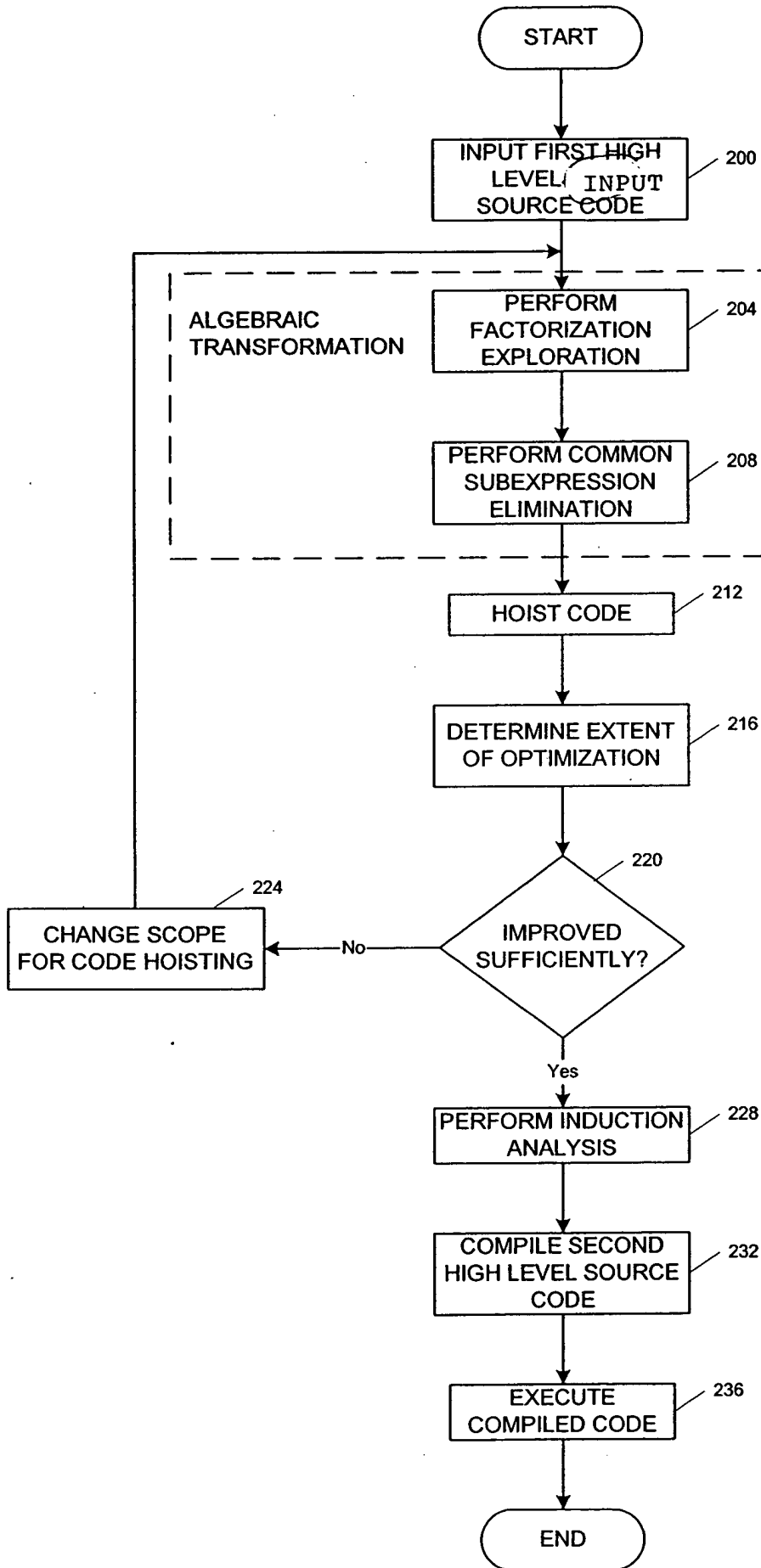


FIG. 2

```

for (y=0; y<M+3; ++
for (x=0; x<N+5;      {
    if ((x-3)>=1 && (x-5)<=N-2 && (y-2)>=1 && (y-3)<=M-2) {
        if ((x-5)>=1 && (y-3)>=1) {
            if (out_compute == 255) {
                if (comp_edge_pixels[((x-4)*3)+(y-2)*3]<comp_edge_middle) out_compute=0;
                if (comp_edge_pixels[((x-4)*3)+(y-4)*3]<comp_edge_middle) out_compute=0;
                if (comp_edge_pixels[((x-5)*3)+(y-4)*3]<comp_edge_middle) out_compute=0;
            }
        }
        if ((x-3)<=N-2 && (y-2)<=M-2) {
            maxdiff_compute =
                max13(abs(gauss_xy_pixels[((x-2)*3)+(y-1)*3]
                    - gauss_xy_middle), maxdiff_compute);
            maxdiff_compute =
                max13(abs(gauss_xy_pixels[((x-2)*3)+(y-3)*3]
                    - gauss_xy_middle), maxdiff_compute);
            maxdiff_compute =
                max13(abs(gauss_xy_pixels[((x-3)*3)+(y-3)*3]
                    - gauss_xy_middle), maxdiff_compute);
        }
    }
}
}

```

FIG. 3

```

for (y=0; y<M+3; ++y)
  for (x=0; x<N+5; ++
    ...
    if(x>=4 && x<=N+3 && y>=3 && y<=M+1) {
      if((x-5)>=1 && (y-3)>=1) {
        if (out_compute == 255) {
          csexmin4mod3x3 = ((x-4)%3)*3;
          cseymin4mod3 = (y-4)%3;
          if(comp_edge_pixels[csexmin4mod3x3 + (y-2)%3]<comp_edge_middle) out_compute=0;
          ...
          if(comp_edge_pixels[csexmin4mod3x3 + cseymin4mod3]<comp_edge_middle) out_compute=0;
          ...
          if(comp_edge_pixels[((x-5)%3)*3 + cseymin4mod3]<comp_edge_middle) out_compute=0;
          ...
        }
      }
      if ((x-3)<=N-2 && (y-2)<=M-2) {
        csexmin2mod3x3 = ((x-2)%3)*3;
        cseymod3 = y%3; /* = (y-3)%3 */
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + (y-1)%3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[(x%3)*3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
      }
    }
  }
}

```

FIG. 4

distributivity: $(x + 4) \% 3 = (x \% 3 + 4 \% 3) \% 3$
 constant folding: $= (x \% 3 + 1) \% 3$
 constant unfolding: $= (x \% 3 + 1 \% 3) \% 3$
 invert distributivity: $= (x + 1) \% 3$
 (a)

modulo expansion: $(x+2) \% 3 = 3 - x \% 3 - (x+1) \% 3$
 (b)

FIG. 5

```

for (y=0; y<M+3; ++y)
  cseymod3 = y%3;
  cseymin1mod3 = (y-1)%3;
  cseymin2mod3 = (y-2)%3;
  cseymin4mod3 = (y-4)%3;
  for (x=0; x<N+5; ++x) {
    ...
    if (x>=4 && x<=N+3 && y>=3 && y<=M+1) {
      if ((x-5)>=1 && (y-3)>=1) {
        if (out_compute == 255) {
          csexmin4mod3x3 = ((x-4)%3)*3;
          if (comp_edge_pixels[csexmin4mod3x3 + cseymin2mod3] < comp_edge_middle) out_compute=0;
          ...
          if (comp_edge_pixels[csexmin4mod3x3 + cseymin4mod3] < comp_edge_middle) out_compute=0;
          ...
          if (comp_edge_pixels[((x-5)%3)*3 + cseymin4mod3] < comp_edge_middle) out_compute=0;
          ...
        }
      }
      if ((x-3)<=N-2 && (y-2)<=M-2) {
        csexmin2mod3x3 = ((x-2)%3)*3;
        maxdiff_compute =
          maxl3(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymin1mod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          maxl3(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          maxl3(abs(gauss_xy_pixels[(x%3)*3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
      }
    }
  }
}

```

FIG. 6

```

cseymod3 = -1;
for (y=0; y<M+3; ++y) {
  cseymod3 = cseymod3;
  cseymod3 = y%3;
  cseymod3 = 3-cseymod3-cseymod3;
  for (x=0; x<N+5; ++x) {
    ...
    if (x>=4 && x<=N+3 && y>=3 && y<=M+1) {
      if ((x-5)>=1 && (y-3)>=1) {
        if (out_compute == 255) {
          csexmin4mod3x3 = ((x-4)%3)*3;
          if (comp_edge_pixels[csexmin4mod3x3 + cseymod3] < comp_edge_middle) out_compute=0;

          if (comp_edge_pixels[csexmin4mod3x3 + cseymod3] < comp_edge_middle) out_compute=0;

          if (comp_edge_pixels[((x-5)%3)*3 + cseymod3] < comp_edge_middle) out_compute=0;
          ...
        }
      }
      if ((x-3)<=N-2 && (y-2)<=M-2) {
        csexmin2mod3x3 = ((x-2)%3)*3;
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[(x%3)*3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
      }
    }
  }
}

```

FIG. 7

```

cseymod3 = -1;
for (y=0; y<M+3; ++y)
  cseymin1mod3 = cseymod3;
  cseymod3 = y%3;
  cseymin2mod3 = 3-cseymod3-cseymin1mod3;
  for (x=0; x<N+5; ++x) {
    ...
    if (x>=4 && x<=N+3 && y>=3 && y<=M+1) {
      csexmod3x3 = (x%3)*3;
      csexmin2mod3x3 = ((x-2)%3)*3;
      csexmin4mod3x3 = ((x-4)%3)*3;
      csexmin5mod3x3 = ((x-5)%3)*3;
      if ((x-5)>=1 && (y-3)>=1) {
        if (out_compute == 255) {
          if (comp_edge_pixels[csexmin4mod3x3 + cseymin2mod3] < comp_edge_middle) out_compute=0;
          ...
          if (comp_edge_pixels[csexmin4mod3x3 + cseymin1mod3] < comp_edge_middle) out_compute=0;
          ...
          if (comp_edge_pixels[csexmin5mod3x3 + cseymin1mod3] < comp_edge_middle) out_compute=0;
          ...
        }
      }
      if ((x-3)<=N-2 && (y-2)<=M-2) {
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymin1mod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
      }
    }
  }
}

```

FIG. 8


```

cseymod3 = -1;
for (y=0; y<M+3; ++y)
  cseymin1mod3 = cseymod3;
  cseymod3 = y%3;
  cseymin2mod3 = 3-cseymod3-cseymin1mod3;
  for (x=0; x<N+5; ++x) {
    csexmod3x3 = (x%3)*3;
    csexmin2mod3x3 = ((x-2)%3)*3;
    csexmin4mod3x3 = ((x-4)%3)*3;
    csexmin5mod3x3 = ((x-5)%3)*3;
    ...
    if (x>=4 && x<=N+3 && y>=3 && y<=M+1) {
      if ((x-5)>=1 && (y-3)>=1) {
        if (out_compute == 255) {
          if (comp_edge_pixels[csexmin4mod3x3 + cseymin2mod3] < comp_edge_middle) out_compute=0;
          ...
          if (comp_edge_pixels[csexmin4mod3x3 + cseymin1mod3] < comp_edge_middle) out_compute=0;
          ...
          if (comp_edge_pixels[csexmin5mod3x3 + cseymin1mod3] < comp_edge_middle) out_compute=0;
          ...
        }
      }
      if ((x-3)<=N-2 && (y-2)<=M-2) {
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymin1mod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
      }
    }
  }
}

```

FIG. 9

```

cseymod3 = -1;
for (y=0; y<M+3; ++y)
  cseymod3 = cseymod3;
  cseymod3 = y%3;
  cseymod3 = 3-cseymod3-cseymod3;
  csexmod3x3=-3;
  for (x=0; x<N+5; ++x) {
    csexmin1mod3x3 = csexmod3x3;
    csexmod3x3 = (x%3)*3;
    csexmin2mod3x3 = 9-csexmod3x3-csexmin1mod3x3;
    ...
    if (x>=4 && x<=N+3 && y>=3 && y<=M+1) {
      if ((x-5)>=1 && (y-3)>=1) {
        if (out_compute == 255) {
          if (comp_edge_pixels[csexmin1mod3x3 + cseymod3] < comp_edge_middle) out_compute=0;
          ...
          if (comp_edge_pixels[csexmin1mod3x3 + cseymod3] < comp_edge_middle) out_compute=0;
          ...
          if (comp_edge_pixels[csexmin2mod3x3 + cseymod3] < comp_edge_middle) out_compute=0;
          ...
        }
      }
      if ((x-3)<=N-2 && (y-2)<=(M-2)) {
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmin2mod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
        maxdiff_compute =
          max13(abs(gauss_xy_pixels[csexmod3x3 + cseymod3]
            - gauss_xy_middle), maxdiff_compute);
        ...
      }
    }
  }
}

```

FIG. 10

```

cseymod3 = -1;
for (y=0; y<M; ++y) {
    cseymod3 = cseymod3;
    cseymod3 = y%3;
    cseymod2 = 3-cseymod3-cseymod1mod3;
    csexmod3x3=-3;
    cseymod2 = (y-1)%2;
    cseymod2=1-cseymod2;
    for (x=0; x<N+5; ++x) {
        csexmin1mod3x3 = csexmod3x3;
        csexmod3x3 = (x%3)*3;
        csexmin2mod3x3 = 9-csexmod3x3-csexmin1mod3x3;
        csexmin1x2 = (x-1)*2;
        csexmin3x2 = csexmin1x2-4;

        if (x>=3 && x<N+3 && y>=2 && y<M+2)
            tmparray[(csexmin3x2+ cseymod2)%160
                    + (csexmin3x2+ cseymod2)/160*256 + 96]
                = comp_edge_pixels[csexmod3x3
                    + cseymod2] = maxdiff_compute;

        if (x>= 1 && x<N+1 && y>=1 && y<=M)
            tmparray[(csexmin1x2 + cseymod2)%64
                    + (csexmin1x2 + cseymod2)/64*256]
                = gauss_xy_pixels[csexmin1mod3x3
                    + cseymod2] = gauss_xy_compute;
    }
}

```

FIG. 11

```

cseymod3=-1;
for (y=0; y<M+3; y++) {
    cseymin1mod3=cseymod3;
    cseymod3++;
    if(cseymod3 >= 3){cseymod3 -= 3;}
    cseymin2mod3 = 3-cseymod3-cseymin1mod3;
    cseymin1mod2 = (y-1)&1;
    cseymod2=1-cseymin1mod2;
    csexmod3x3= -3;
    csexx2mod160_1_2=cseymod2-8;
    csexx2div160_1_2=0;
    for (x=0; x<N+5; ++x) {
        csexmin1mod3x3=csexmod3x3;
        csexmod3++;
        if(csexmod3 >= 3){csexmod3 -= 3;}
        csexmod3x3=csexmod3*3;
        csexmin2mod3x3 = 9-csexmod3x3-csexmin1mod3x3;
        csexx2mod160_1_2+=2;
        csexmin1x2 = (x-1)*2;
        csexmin3x2 = csexmin1x2-4;
        if(csexx2mod160_1_2>=160) {csexx2mod160_1_2-=160;csexx2div160_1_2++;}

        if (x>=3 && x<N+3 && y>=2 && y<M+2)
            tmparray[csexx2mod160_1_2 + csexx2div160_1_2*256 + 96]
                = comp_edge_pixels[csexmod3x3
                    + cseymin2mod3] = maxdiff_compute;

        if (x>= 1 && x<N+1 && y>=1 && y<=M)
            tmparray[((csexmin1x2 + cseymin1mod2)&63)
                + ((csexmin1x2 + cseymin1mod2)>>6)*256]
                = gauss_xy_pixels[csexmin1mod3x3
                    + cseymin1mod3] = gauss_xy_compute;
    }
}

```

FIG. 12

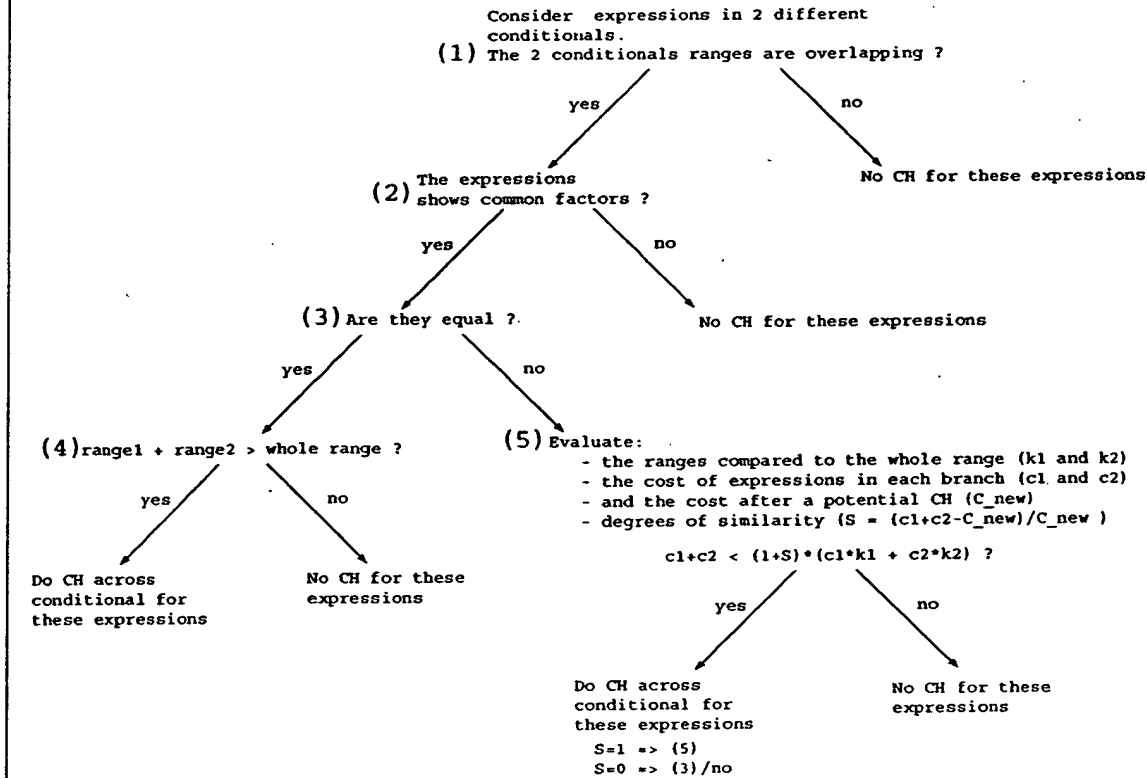


FIG. 13